

Honors GSE Geometry
Similarity Review CW

Name _____

Period _____

Directions: Show all work. No decimal answers unless otherwise stated. No mixed numbers.
(3 pts each blank unless stated otherwise)

Indicate whether the statement is true Always (A), Sometimes (S) or Never (N).

S 1. If two triangles are similar, then they are congruent.

A 2. If two triangles are congruent, then they are similar.

S 3. Two right triangles are similar.

A 4. Two equilateral triangles are similar.

5. If the scale factor of the areas of two similar polygons is 1:16, what is the ratio of the side lengths?

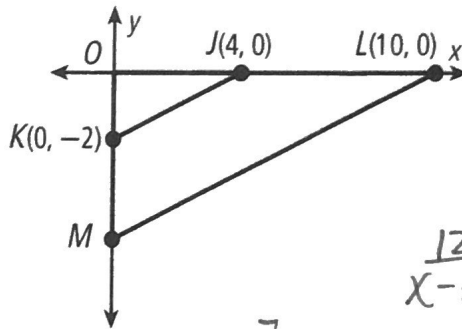
1:4

7) If the scale factor for a dilation is $\frac{5}{2}$, this dilation would produce a(n) enlargement.

(reduction or enlargement)?

$$\frac{10}{4} = 2.5$$

$\triangle JOK \sim \triangle LOM$. Find the coordinates of M.

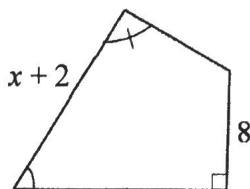


8. M (0, 5)

Solve for x.

9. $x = \underline{4.2}$

(the Quadrilaterals are similar)



$$\frac{7}{x+2} = \frac{9}{8}$$

$$56 = 9x + 18$$

$$38 = 9x$$

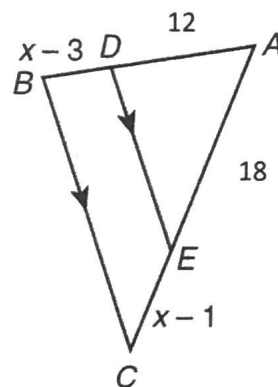
$$4.2 = x$$

$$\frac{12}{x-3} = \frac{18}{x-1}$$

$$18x - 54 = 12x - 12$$

$$6x = 42$$

$$\boxed{x = 7}$$



$\triangle ABC \sim \triangle XYZ$. The area of $\triangle ABC$ is 192 cm^2 . Include units!

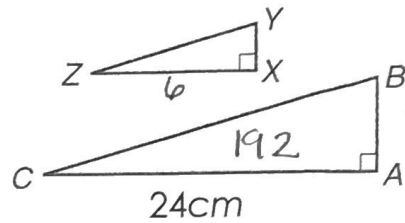
Given $\frac{\text{area of } \triangle XYZ}{\text{area of } \triangle ABC} = \frac{1}{16}$, find the following:

1/4 11. ratio of the perimeters (as a reduction)

6 12. length of ZX

12 13. area of $\triangle XYZ$

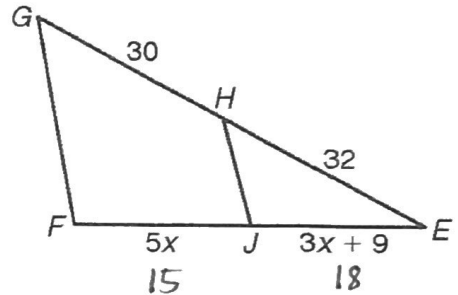
$$\frac{192}{16} = 12$$



False

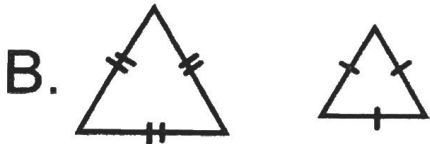
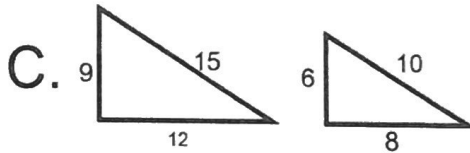
14. True or false? $\overline{GF} \parallel \overline{HJ}$ if $x = 3$. (Show work to support your answer.)

$$\frac{18}{15} \stackrel{?}{=} \frac{32}{30}$$



B, C

15. Which pairs of polygons can be proved similar? Pick all that apply.



$$\frac{9}{6} = \frac{15}{10} = \frac{12}{8}$$

$$1.5 \quad 1.5 \quad 1.5$$

48.6

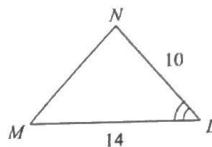
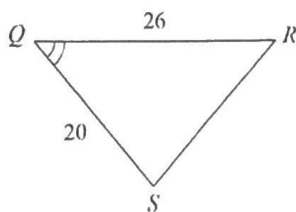
16. $\triangle ABC$ has side lengths 14, 8, and 10.4. What is the perimeter of $\triangle DEF$ if $\triangle ABC \sim \triangle DEF$, and DEF is an enlargement of ABC with a similarity ratio of $2:3$?

$$14 + 8 + 10.4 = 32.4 \times 1.5$$

Determine if the Triangles are Similar, if so, write a similarity statement and state by which postulate.

NOT 17.

$\Delta QRS \sim$ _____



$$\frac{26}{14} \neq \frac{20}{10}$$

39

18. Complete the similarity statement: $\Delta STU \sim ?$ by $?$

AA

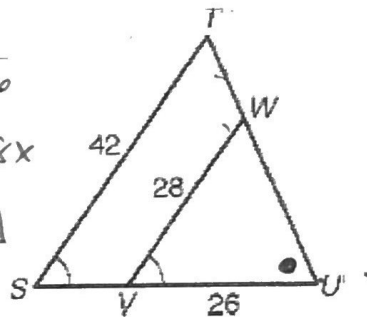
vwu

What is the length of SU? 39

$$\frac{42}{28} = \frac{x}{26}$$

$$1092 = 28x$$

$$\boxed{39 = x}$$



Given: $\Delta SVT \sim \Delta WYX$ with measures as shown, find WY and VT. Write your answers as improper fractions.

WY = $\frac{28}{5}$ 19.

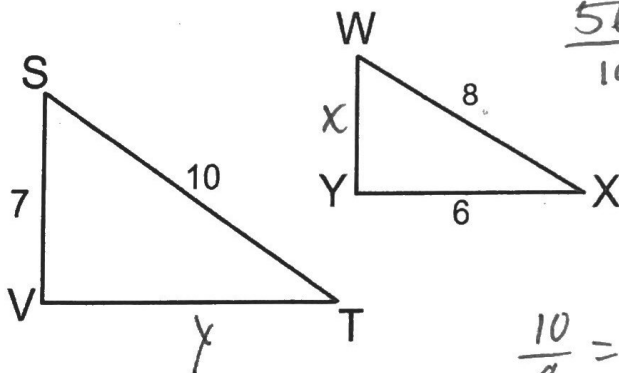
VT = $\frac{15}{2}$ 20.

$$\frac{7}{x} = \frac{10}{8}$$

$$56 = 10x$$

$$\frac{56}{10} = x$$

$$\frac{28}{5}$$



$$\frac{10}{8} = \frac{y}{6}$$

$$60 = 8y$$

$$\frac{60}{8} = y$$

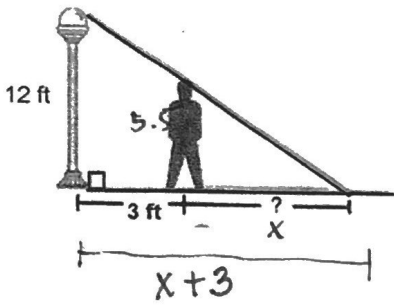
$$\frac{15}{2}$$

154 ft.

21. Mr. Hammond looked at the plans for the new house he was building. The plans were drawn to a scale of $\frac{1}{4}$ in = 1 ft. He measured the size of a rectangular room on the plans and found it to be 2.75 in. by 3.5 in. What is the area of the room in square feet? (Include units)

11 ft. by 14

22. Chad is 3 feet from a lamppost that is 12 feet high. Chad is 5.5 feet tall. How long is Chad's shadow? Include units and round to the nearest 100th. (4pts)



$$\frac{12}{5.5} = \frac{x+3}{x}$$

$$12x = 5.5x + 16.5$$

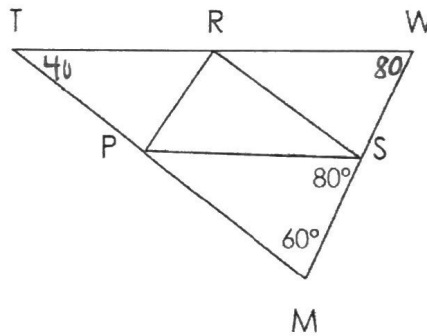
$$6.5x = 16.5$$

$$\boxed{2.5 \text{ ft}}$$

R, P, and S are midpoints. Use the diagram for

40

23. Find $m\angle T$.

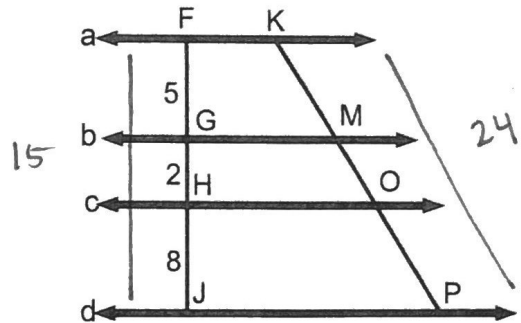


8

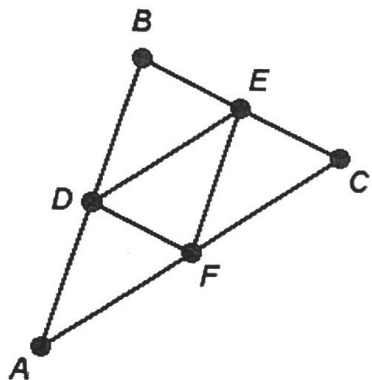
24. Given: $a \parallel b \parallel c \parallel d$

$$\frac{15}{5} = \frac{24}{8}$$

and $KP = 24$, find KM .



25. \overline{DE} , \overline{EF} , and \overline{DF} are the midsegments of $\triangle ABC$. How does the perimeter of $\triangle DEF$ compare to the perimeter of $\triangle ABC$? Explain.

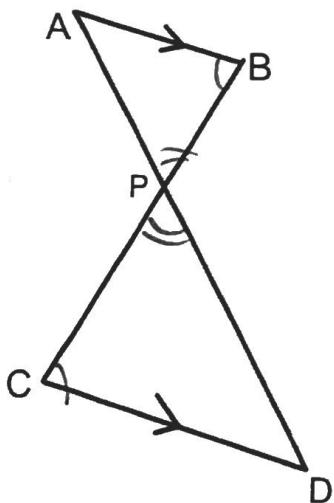


Perimeter
 $\triangle DEF : \triangle ABC$

1 : 2

each side of $\triangle DEF$ is $\frac{1}{2}$
of a side of $\triangle ABC$

26. Given: $\overline{CD} \parallel \overline{AB}$ Prove: $\triangle ABP \sim \triangle DCP$



AA